

University Kasdi Merbah-Ouargla Departement of computer science and TI Module : Digital Image Duration : 1.5H 25/01/2022



## EXAM

## MARK

## Select the suitable answer

- 1) Electromagnetic spectrum can be thought as
  - □ Images
  - □ Waves
  - $\Box$  Photons
  - Waves or photons
  - $\Box$  None of the above
- 2) Which imaging modality can a satellite use to take images for the earth
  - □ X-Ray
  - Gamma-Ray
  - X Infrared
  - Ultraviolet
  - $\Box$  None of the above
- 3) The energy of photons in electromagnetic spectrum is
  - □ Proportional to wavelength
  - **Proportional to frequency**
  - □ Not Proportional to frequency
  - □ There is no relationship between energy and frequency / wavelength
  - $\Box$  None of the above

- 4) To take an image for a molecule with a diameter =  $10^{-7}$ , the energy source must emit
  - $\Box$  Radio waves
  - ☐ Micro waves
  - 🔀 Gamma rays
  - □ Infrared
  - $\Box$  None of the above
- 5) An image *I* is sampled with sampling ratio = x, and another image *I*2 is sampled with sampling ratio = y, such that x > y
  - $\blacksquare$  I will have a better spatial resolution than I2
  - $\Box$  I2 will have a better spatial resolution than I
  - $\Box$  *I* will have the same spatial resolution as *I*2
  - Cannot judge the spatial resolution because we haven't information about quantization
  - $\Box$  None of the above
- 6) A  $100 \times 100$  color BMP image with a BPP = 8 require
  - □ 27.5 ko
  - □ 28.2 ko
  - 🔼 29.2 ko
  - □ 30.1 ko
  - $\Box$  None of the above
- 7) Enlarging an image *I* by twice (i.e., height x 2, and width x 2), we denote the enlarged image by *I*2
  - $\Box$  Pixel resolution of *I*2 < Pixel resolution of *I*
  - $\Box$  Spatial resolution of *I*2 > Spatial resolution of *I*
  - $\boxtimes$  Spatial resolution of I2 = Spatial resolution of I
  - U We cannot compare neither pixel resolution nor spatial resolution
  - $\Box$  None of the above
- 8) Which formula from the following can be used to convert color to gray level image
  - $\Box 0.51 \times R + 0.29 \times G + 0.2 \times B$   $\boxtimes 0.26 \times R + 0.68 \times G + 0.06 \times B$   $\Box 0.29 \times R + 0.11 \times G + 0.58 \times B$  $\Box 0.23 \times R + 0.58 \times G + 0.11 \times B$
  - $\Box$  None of the above
- 9) The RGB color space counts about
  - □ 15000000 color
  - □ 12000000 color
  - □ 13000000 color

- X 1700000 color
- $\Box$  None of the above
- 10) Given an image *I* such that 85% of pixel intensities ranges from 11 to 37, to get an image with a better quality, we can
  - $\Box$  Convolve the image with the mask [-1 0 1; -2 0 2; -1 0 1]
  - Convolve the image with the mask [1/9 1/9 1/9; 1/9 1/9; 1/9 1/9; 1/9 1/9]
  - Quantize image into [0 100 150 255]
  - $\Box$  Decrease the pixel resolution with 85%
  - $\bowtie$  None of the above
- 11) The intensities of an image *I*1 ranges from 50 to 150, and intensities of *I*2 ranges from 100 to 255, respectively
  - $\Box$  *I*1 looks darker than *I*2
  - $\Box$  *I*2 looks darker than *I*1
  - $\Box$  We can decide if the contrast is calculated
  - $\Box$  We can decide by increasing the pixel resolution
  - $\mathbf{X}$  None of the above
- 12) Given an image I, suppose that we want to improve the contrast of I by adjusting its dynamic, suppose also that minimum intensity in I is 10 and max intensity is 100. By setting
  - $a = \frac{1}{2}$  and b = 1, contrast of the resulting image, denoted as  $I_R$ , then
  - $\mathbb{K}$  Contrast of  $I \geq$  Contrast of  $I_R$
  - $\Box \text{ Contrast of } I \leq \text{ Contrast of } I_R$
  - $\Box \text{ Contrast of } I = \text{ Contrast of } I_R$
  - $\square$  We cannot know because min and max intensity in  $I_R$  are unknown
  - $\Box$  None of the above
- 13) With a BPP = 10, we can quantize image into
  - $\Box$  10 levels
  - □ 2048 level
  - $\Box$  12 level
  - X 1024 level
  - $\Box$  None of the above
- 14) Gray level histograms of two image look like a Gaussian curve, if you know that μ₁ ≅ μ₂ and σ₁ ≫ σ₂, we refer to max value of the first and second image by M₁ and M₂, respectively
  M₁ < M₂</li>
  - $\square$   $M_1 < M_2$
  - $\Box M_1 > M_2$  $\Box M_1 \ge M_2$
  - $\square M_1 \le M_2$
  - $\Box M_1 = M_2$ \Box None of the above
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- 15) Given two strictly identical images I and R, such that size of I = size of  $R \times 2$ . We calculate the gray-level histogram of each image. We denote the histogram of I and R by  $H_I$  and  $H_R$ , respectively.
  - $\Box H_I$  is identical to  $H_R$
  - $\Box$  Values of  $H_I$  are bigger than corresponding values of  $H_R$
  - U We cannot decide because by changing pixel resolution, gray-level values will change also.
  - $\square$  PMF of *I* is identical to PMF of *R*
  - $\Box$  None of the above

16) In histogram equalization algorithm, if we multiply  $L_{max}$  by PMF instead of CDF values

- □ Resulting image will look very bright
- □ Resulting image will look very dark
- □ Resulting image will look blurry
- □ Contrast of resulting image will be improved
- $\mathbf{X}$  None of the above

17) F is a  $5 \times 5$  filter, which of the following filters can be considered as a Gaussian filter

- $\Box F(0,0) = 0.078, F(1,2) = 0.071, F(2,2) = 0.23, F(3,2) = 0.19$
- $\Box F(1,2) = 0.051, F(2,1) = 0.031, F(2,2) = 0.50, F(5,2) = 0.01$
- $\Box F(3,1) = 0.025, F(4,2) = 0.026, F(2,2) = 0.01, F(3,3) = 0.26$
- $\mathbb{X}$  F(4,2) = 0.036, F(2,4) = 0.036, F(2,2) = 0.15, F(5,5) = 0.01
- $\Box$  None of the above

18) Applying a mean filter on image which doesn't contain a noise

- The resulting image remains the same as the original image
- $\Box$  The resulting image has a better spatial resolution than the original image
- X The resulting image will look blurry compared to the original image
- Cannot say anything because resulting image depends on the filter size
- $\Box$  None of the above
- 19) After applying vertical Sobel operator on image *I*, we found that magnitude of gradient at a specific pixel I'(x, y) = 640. Referring to this pixel by *P* and by  $V_p$  for its intensity, the neighborhood of *P* is
  - $\Box$  [1 15 13; 2  $V_p$  255; 100 150 200]
  - $\Box [20\ 20\ 240;\ 20\ V_p\ 240;\ 20\ 20\ 240]$
  - $\Box$  [10 10 10; 10  $V_p$  10; 130 130 130]
  - $[30 \ 30 \ 190; \ 30 \ V_n \ 190; \ 30 \ 30 \ 190]$
  - $\Box$  None of the above